# Make sense of problems and persevere in solving them



When presented with a problem, I can make a plan, carry out my plan, and evaluate its success.

### BEFORE ....

# **EXPLAIN** the problem to myself.

• Have I solved a problem like this before?

#### **ORGANIZE** information...

- What is the question I need to answer?
- What is given?
- What is not given?
- What are the relationships between known and unknown quantities?
- What tools will I use?
- What prior knowledge do I have to help me?

<u>DURING...</u> PERSEVERE

MONITOR my work

**CHANGE** my plan if it isn't working out

ASK myself, "Does this make sense?"

## AFTER...

#### CHECK

- Is my answer correct?
- How do my representations connect to my algorithms?

#### EVALUATE

- What worked?
- What didn't work?
- What other strategies were used?
- How was my solution similar to or different from my classmates?

## Reason abstractly and quantitatively



## I can use reasoning habits to help me contextualize and

decontexualize problems.

## <u>CONTEXTUALIZE</u>

I can take numbers and put them in a real-world context.

For example, if given 3 x 2.5 = 7.5 I can create a context:

I walked 2.5 miles per day for 3 days. I walked a total of 7.5 miles.

## DECONTEXTUALIZE

I can take numbers out of context and work mathematically with them.

For example, if given 'I walked 2.5 miles per day for 3 days. How far did I walk?', I can write and solve

3 x 2.5 = 7.5

<u>Reasoning Habits</u> include 1) creating an understandable representation of the problem solved, 2) considering the units involved, 3) attending to the meaning of quantities, and 4) using properties to help solve problems.

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# Construct viable arguments and critique the reasoning of others



I can make conjectures and critique the mathematical thinking of others.

#### l can <u>construct, justify</u>, and <u>communicate</u> arguments by...

- considering context
- ullet using examples and non-examples
- using objects, drawings, diagrams and actions

#### l can <u>critique the reasoning</u> <u>of others</u> by...

- ◆ listening
- ullet comparing arguments
- identifying flawed logic
- asking questions to clarify or improve arguments

## Model with mathematics



## I can recognize math in everyday life and use math I know to solve everyday problems.

#### can...

- make assumptions and estimate to make complex problems easier
- identify important quantities and use tools to show their relationships
- evaluate my answer and make changes if needed



## Use appropriate tools strategically



I know when to use certain tools to help me explore and deepen my math understanding.

I have a <u>math toolbox</u>.



- I know  $\underline{HOW}$  to use math tools.
- ◆ I know <u>WHEN</u> to use math tools.
- I can reason: "Pid the tool I used give me an answer that makes sense?"



## Attend to precision



I can use precision when solving problems and communicating my ideas.

## **Problem Solving**

- ◆ I can calculate <u>accurately</u>.
- ◆ I can calculate <u>efficiently</u>.
- My answer matches what the problem asked me to do – estimate or find an exact answer.

## **Communicating**

- ◆ I can SPEAK, READ, WRITE, and LISTEN mathematically.
- ◆ I can correctly use...
  - math symbols
  - math vocabulary
  - units of measure

## Look for and make use of structure



I can see and understand how numbers and spaces are organized and put together as parts and wholes.

## Numbers

For Example:

- ◆ Base 10 structure
- $\blacklozenge$  operations and properties
- $\blacklozenge$  terms, coefficients, exponents





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### Look for and express regularity in repeated reasoning



## I can notice when calculations are repeated. Then, I can find more efficient methods and short cuts.

For example: 25 ÷ 11

